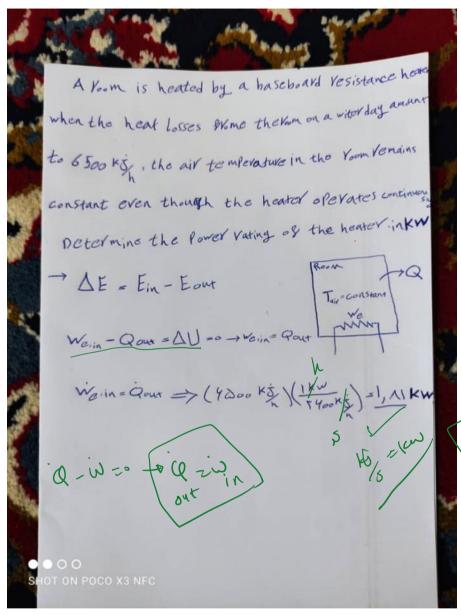


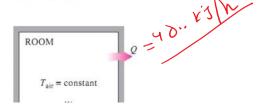
فاتحي_002



 $\dot{Q} - \dot{W} = \dot{W} \left(\frac{U_{Y} - U_{1}}{V_{1}} \right)$ $\dot{Q} - \dot{W} = \dot{W} \left(\frac{U_{Y} - U_{1}}{V_{1}} \right)$ $\dot{Q} - \dot{W} = \dot{W} \left(\frac{U_{Y} - U_{1}}{V_{1}} \right)$ $\dot{Q} - \dot{W} = \dot{W} \left(\frac{U_{Y} - U_{1}}{V_{1}} \right)$ $\dot{Q} - \dot{W} = \dot{W} \left(\frac{U_{Y} - U_{1}}{V_{1}} \right)$ $\dot{Q} - \dot{W} = \dot{W} \left(\frac{U_{Y} - U_{1}}{V_{1}} \right)$ $\dot{Q} - \dot{W} = \dot{W} \left(\frac{U_{Y} - U_{1}}{V_{1}} \right)$

WhatsApp Image 2021-03-09 at 9.11.35 AM

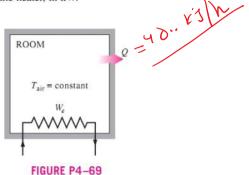
4-69 A room is heated by a baseboard resistance heater. When the heat losses from the room on a winter day amount to 6500 kJ/h, the air temperature in the room remains constant even though the heater operates continuously. Determine the power rating of the heater, in kW.



Mill Gu saphes

4-69 A room is heated by a baseboard resistance heater. When the heat losses from the room on a winter day amount to 6500 kJ/h, the air temperature in the room remains constant even though the heater operates continuously. Determine the power rating of the heater, in kW.

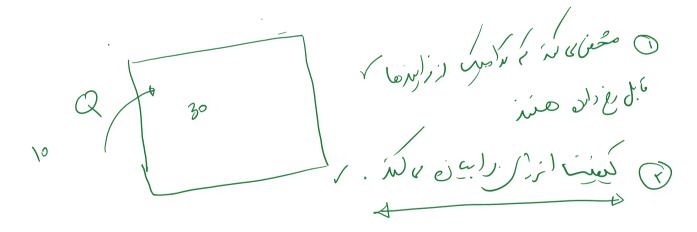




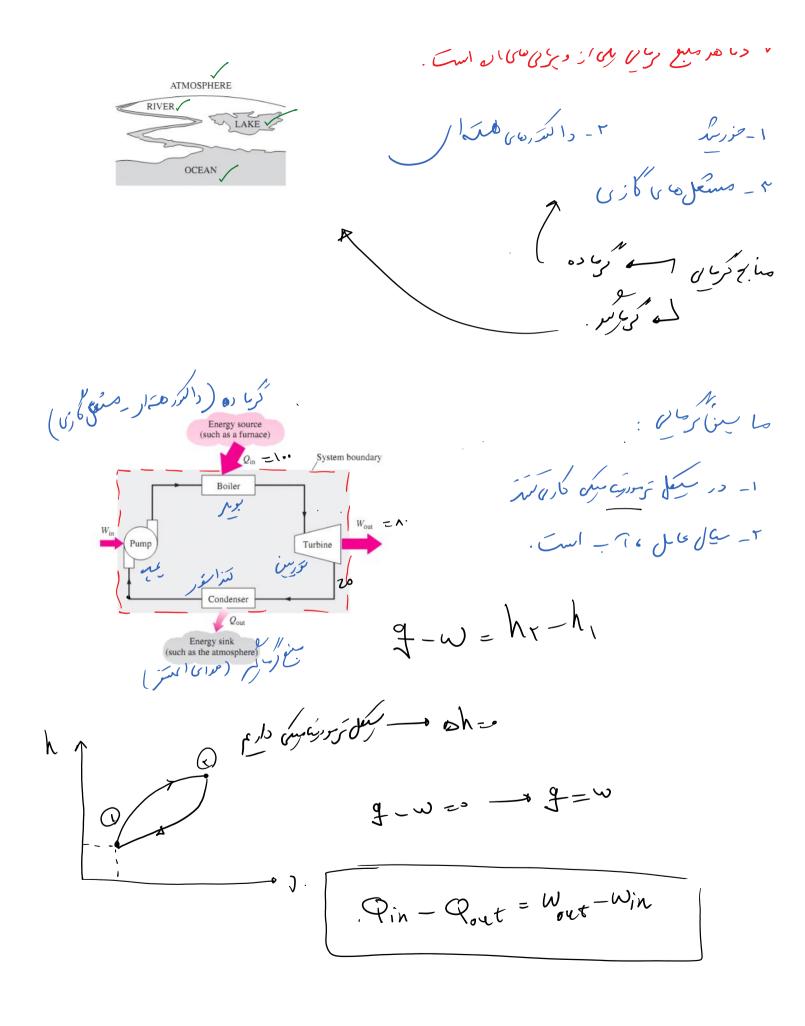
Chapter 6

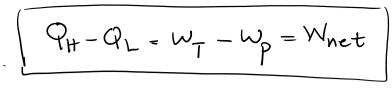
THE SECOND LAW OF THERMODYNAMICS

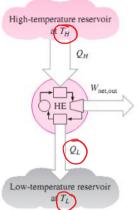
كاربردة نول تحررين سر



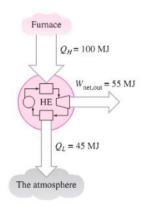
ATMOSPHERE







Thermal efficiency = $\frac{\text{Net work output}}{\text{Total heat input}}$



Q 1 = .

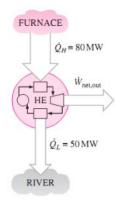
جرمان داند کی سکولی براده ا مار ا

Can We Save Qout?

كالعدل الم الخلاصري لم.

EXAMPLE 6-1 Net Power Production of a Heat Engine

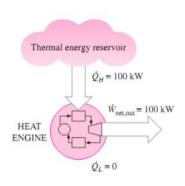
Heat is transferred to a heat engine from a furnace at a rate of 80 MW. If the rate of waste heat rejection to a nearby river is 50 MW, determine the net power output and the thermal efficiency for this heat engine.



$$y = \frac{\text{Whet}}{\text{Qt}} = \frac{30}{20} \text{ Nho} = \frac{3}{20} \text{ Nho} = \frac{3}{$$

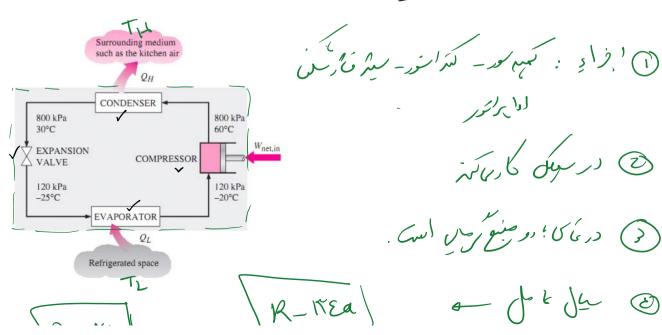
The Second Law of Thermodynamics: Kelvin-Planck Statement

It is impossible for any device that operates on a cycle to receive heat from a single reservoir and produce a net amount of work.



6-4 • REFRIGERATORS AND HEAT PUMPS

رسی بسریر ریب ۵۵ کولای

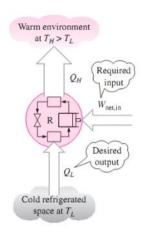




R_ITEa

o dot de

سطی شرید: اگرها را از دمنی دیا بایس می گیرد و به مینم رساند انقال می دهد. در ساق سرید الله المرسى كرم از ومني رماني مني اسى. (يعفيل - مرد فا زما)



γων σύνος ολοβος - Q - ω z h, - h, =.

Q1 - QH = -WC -> QH - QL = WC

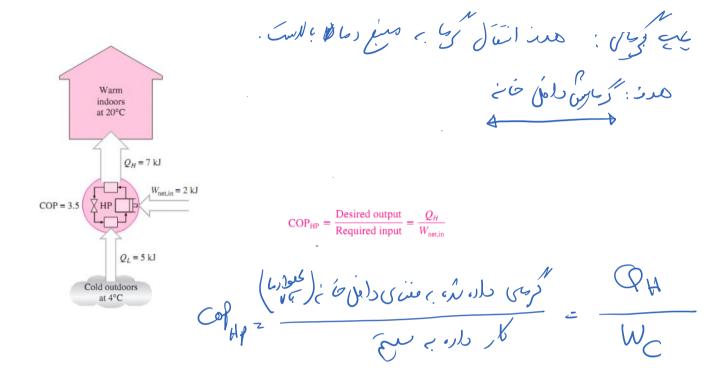
Coefficient of Performance $(C \circ P)$

copz who in a PL

WC

 $COP_{R} = \frac{Desired output}{Required input} = \frac{Q_{L}}{W_{net,in}} = \frac{Q_{L}}{W_{C}} = \frac{Q_{L}}{W_{C$

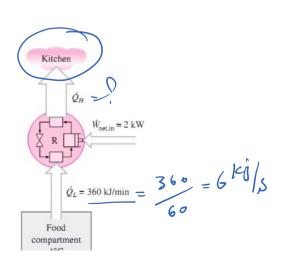
COPZ QL Z QL - QI

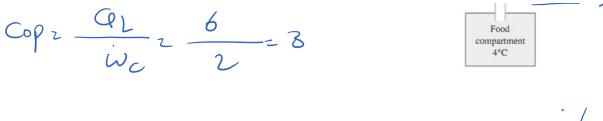


1/3/1

EXAMPLE 6-3 Heat Rejection by a Refrigerator

The food compartment of a refrigerator, shown in Fig. 6–24, is maintained at 4° C by removing heat from it at a rate of 360 kJ/min. If the required power input to the refrigerator is 2 kW, determine (a) the coefficient of performance of the refrigerator and (b) the rate of heat rejection to the room that houses the refrigerator.





q_H- q_L= w_C- q_H= 2+6 28 vo/s

The Second Law of Thermodynamics: Clausius Statement

There are two classical statements of the second law—the Kelvin-Planck statement, which is related to heat engines and discussed in the preceding section, and the Clausius statement, which is related to refrigerators or heat pumps. The Clausius statement is expressed as follows:

It is impossible to construct a device that operates in a cycle and produces no effect other than the transfer of heat from a lower-temperature body to a higher-temperature body.